# Stock assessment of the western winter-spring cohort of Ommastrephes bartramii in the Northwest Pacific Ocean using a Bayesian hierarchical DeLury model based on daily natural mortality during 2005-2015 

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#### Abstract

Summary: The purpose of this study was to evaluate the effect of the intensive commercial jigging fishery on the western winter-spring cohort of neon flying squid (Ommastrephes bartramii) in the Northwest Pacific Ocean and to estimate the exploitation status of this stock during the period 2005-2015. We applied a Bayesian hierarchical DeLury depletion model to the Chinese jigging fisheries data to estimate the stock abundance and catchability for each year, and sensitivity analysis on daily natural mortality $(M)$ was conducted. The results indicated that $M$ values had great impacts on the overall estimates of stock size. Initial annual population sizes varied from 66 to 662 million individuals with the $M$ value of 0.003-0.01 per day during the study period. $O$. bartramii suffered from a certain degree of overexploitation in 2008 . The proportional escapement values ( $M=0.003-0.01$ ) were $8.94 \%$ to $19.82 \%$ in 2008, with an average of $13.74 \%$, which may have led to a low abundance of $O$. bartramii and annual catch since 2009. As short-lived ecological opportunists, $O$. bartramii are extremely sensitive to changes in multi-scale environmental conditions, especially when anomalous environmental conditions occur, and significant between-year variations in the initial abundance resulted in $O$. bartramii suffering from a certain degree of overexploitation in 2010. Although the proportional escapement met the management target of $40 \%$ from 2011 to 2015, the stock size and annual catch still fluctuated at relatively low levels. Improved knowledge of the influences of environmental conditions on abundance of the western winter-spring cohort of neon flying squid can contribute to the sustainable management of this stock.


Keywords: Ommastrephes bartramii; daily natural mortality; Bayesian hierarchical DeLury depletion model; stock assessment; Northwest Pacific Ocean.

Evaluación del stock de la cohorte occidental de invierno-primavera de Ommastrephes bartramii en el océano Pacífico noroeste utilizando el modelo de DeLury jerárquico bayesiano basado en la mortalidad natural diaria durante los años 2005-2015

Resumen: El propósito de este estudio es evaluar el efecto de la pesca comercial con potera automática sobre la cohorte occidental de invierno-primavera de la pota saltadora (Ommastrephes bartramii) en el océano Pacífico noroeste y estimar el estado de explotación de esta población durante los años 2005-2015. Se utilizó un modelo de DeLury jerárquico bayesiano para estudiar la pesca con potera automática de la flota china. Para estimar la abundancia y capturabilidad del stock para cada año se analizó la mortalidad natural diaria $(M)$. Los resultados indicaron que los valores de $M$ tuvieron un gran impacto en las estimaciones generales del tamaño del stock. El tamaño inicial de la población anual varió entre 66 y 662 millones de ejemplares con el valor $M$ de 0.003-0.01 por día durante 2005-2015. O. bartramii mostró un cierto grado de sobreexplotación en 2008. La proporción de la población preservada de la pesca ( $M=0.003-0.01$ ) fue de $8.94-19.82 \%$ en 2008 , siendo en promedio de $13.74 \%$, lo que pudo conducir a una reducida abundancia y captura anual de O. bartramii desde 2009. Como especie oportunista de vida breve, $O$. bartramii es extremadamente sensible a los cambios en las condiciones ambientales, especialmente cuando aparecen condiciones ambientales anómalas. Variaciones interanuales significativas en su abundancia mostraron que O. bartramii sufrió un cierto grado de sobreexplotación durante algunos años, como por ejemplo durante 2010. Aunque la proporción de la población preservada de la pesca cumplió con el objetivo de su gestión pesquera del $40 \%$ durante los años 2011-2015, el tamaño del stock y la captura anual oscilaron entre niveles relativamente bajos. La mejora en el conocimiento de cómo las condiciones ambientales influyen en la abundancia de la cohorte occidental de invierno-primavera de la pota saltadora puede contribuir al manejo sostenible de este stock.

Palabras clave: Ommastrephes bartramii; mortalidad natural diaria; modelo jerárquico bayesiano DeLury; evaluación de stock; océano Pacífico noroeste.

Citation/Como citar este artículo: Ding Q., Cao J., Chen X. 2019. Stock assessment of the western winter-spring cohort of Ommastrephes bartramii in the Northwest Pacific Ocean using a Bayesian hierarchical DeLury model based on daily natural mortality during 2005-2015. Sci. Mar. 83(2): 155-166. https://doi.org/10.3989/scimar.04783.10A

Editor: W. Norbis.
Received: March 21, 2018. Accepted: March 18, 2019. Published: April 24, 2019.
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## INTRODUCTION

The neon flying squid (Ommastrephes bartramii), one of the most abundant and economically important oceanic squid in the family Ommastrephidae, is widely distributed in subtropical and temperate waters of the global ocean (Roper et al. 1984, Chen et al. 2009, Arkhipkin et al. 2015). Only the North Pacific population is fished commercially. The North Pacific population is widely distributed between $20^{\circ} \mathrm{N}$ and $50^{\circ} \mathrm{N}$, and comprises two cohorts (the autumn-spawning cohort and the winter-spring cohort) and four stocks: (1) the central stock of the autumn cohort, (2) the eastern stock of the autumn cohort, (3) the western stock of the win-ter-spring cohort, and (4) the central-eastern stock of the winter-spring cohort (Bower and Ichii 2005). The western winter-spring stock is the main fishing target of the Chinese squid-jigging vessels. This stock annually migrates between spawning grounds (subtropical waters) and feeding grounds (the sub-Arctic domain) (Murata and Nakamura 1998, Ichii et al. 2006), and the latter grounds are where the fishery takes place (Fig. 1). Chinese squid-jigging fleets mainly operate in the waters of $150-165^{\circ} \mathrm{E}$, where over $80 \%$ of the total catch occurs from August to November (Wang and Chen 2005, Chen et al. 2008b, Cao et al. 2015).

Three fishery companies from the Chinese Mainland (Zhoushan marine fisheries corporation, Ningbo marine fisheries corporation, and Yantai marine fisheries corporation) conducted the first survey on $O$. bartramii in the Northwest Pacific Ocean in 1993 using squid-jigging vessels, and a large-scale jigging fishery
by Chinese vessels started in 1994. Annual catch of $O$. bartramii in China gradually increased from 23000 t in 1994 to the maximum value 132000 t in 1999 , and ranged from 80000 to 124000 t from 2000 to 2008. However, annual catches substantially decreased in the period 2009 to 2015, ranging from 31000 to 55000 $t$ (Fig. 2). The number of vessels gradually increased from 98 to the maximum of 446 in 2000 . Afterwards, it showed an overall downward tendency and decreased to 116 in 2015 (Fig. 2).

The neon flying squid matures at 7 to 10 months and has an estimated one-year lifespan (Yatsu et al. 1997). This unique life history limits the use of traditional age- or length-structured models to evaluate the effect of intensive commercial jigging fishery on this stock. DeLury depletion models (De Lury 1947) are often used for the stock assessment and management of short-lived species, and have been successfully applied in the stock assessment and management of squid and crustacean species (Young et al. 2004, Roa-Ureta and Arkhipkin 2007, Roa-Ureta 2012). However, estimates from depletion models can be misleading when sampling error variation masks trends in abundance (McAllister et al. 2004). Hierarchical modelling offers an approach that allows for variability in parameter estimates, while minimizing the potential for overspecifying the model. Previous studies indicated that a Bayesian hierarchical DeLury depletion model can produce more reliable estimates than similar non-hierarchical methods, and can better quantify the variability in parameters by combining all sets of time-series data hierarchically in the same model (McAllister et al. 2004, Cao et al. 2015).


Fig. 1. - The migration pattern and traditional fishing ground of the winter-spring cohort of Ommastrephes bartramii in the North Pacific Ocean.


Fig. 2. - Annual catch of the western winter-spring stock of Ommastrephes bartramii and number of vessels in the Chinese squid-jigging fishery in the Northwest Pacific Ocean (data obtained from the Chinese Squid-Jigging Technology Group of Shanghai Ocean University).

There are currently no management measures for O. bartramii fisheries on the high seas of the North Pacific other than the driftnet moratorium (Arkhipkin et al. 2015). Because of the annual lifecycle of squid species and their high variability in abundance from year to year, fishery management for squid should implement real-time management, i.e. set target proportional escapement based on the catch and effort data during the period of depletion. To quantify the effect of commercial jigging fishery on the stock of the western winter-spring cohort, Chen et al. (2008a) conducted a stock assessment using a modified depletion model. Assessment results indicated that proportional escapement was close to the management target of $40 \%$ from 2000 to 2005, and fishing mortality of the squid-jigging fishery was considered to be sustainable. However, annual catches have decreased significantly, and the management target has not been reached since then.

This paper used Bayesian hierarchical depletion models to estimate the abundance and daily fishing mortality of neon flying squid based on Chinese squidjigging fishery data during the period 2005-2015, which is compared with previous studies with 10- day natural mortality (Chen et al. 2008a, Cao et al. 2015). These results are combined with previous estimates to provide a 16 -year time series of stock size and fishing pressure. The study aimed to evaluate the escapement rate for the western winter-spring cohort of neon flying squid in recent years and to provide an update of the exploitation status of this stock.

## MATERIALS AND METHODS

## Data collection

## Catch data

The western winter-spring cohort of neon flying squid is mainly distributed in the area of $150-165^{\circ} \mathrm{E}$ in the Northwest Pacific Ocean (Fig. 1). The fishing season starts in June and ends in late November
or early December, peaking from August to October. Therefore, the squid fishery can be treated as a depletion experiment from its peak to early December (Chen et al. 2008a). The annual catch from China comprises more than $80 \%$ of the total catch in this area. The squid fishery operates at night and there is no bycatch. Data on daily catch (kg), fishing effort (days fished) and fishing locations were obtained from the Chinese mainland commercial jigging fleets between August and December from 2005 to 2015.

## Body weight

Body weight is used to convert catches ( kg ) to individuals for catch per unit effort (CPUE). Fifteen individuals were sampled on each day during the fishing season from 2010 to 2015, and the weight of each individual was measured. Not all days were included in each month due to data limitation. Comparisons using a Kruskal-Wallis test indicated no significant difference among years in mean body weight for each 10-day period. Therefore, we pooled the weight data across years to estimate the daily growth (Fig. 3).


Fig. 3. - Growth curve of the western winter-spring stock of Ommastrephes bartramii during the fishing season (from August to November in this study). Note: "Day" refers to each day during the fishing season.


Fig. 4. - Logarithm of standardized daily CPUE (individuals $\mathrm{d}^{-1}$ ) of the Chinese squid-jigging fishery in the Northwest Pacific Ocean from 2005 to 2015.

## Input data and model parameters

## Abundance index

In accordance with Cao et al. (2011), standardization of CPUE was conducted to eliminate the effects of spatial, temporal and environmental factors that bias CPUE as an index of abundance. A generalized linear model including five variables was considered to standardize the CPUE:

$$
C P U E_{i}=\text { Date }_{i}+l o n+\text { lat }+S S T+S S H+\varepsilon
$$

where Date $_{i}$ is the date $i$,lon is longitude, lat is latitude, $S S T$ is sea surface temperature and $S S H$ is sea surface height. The environmental data were obtained from the Ocean-Watch Data Library (http://oceanwatch.pifsc. noaa.gov).

We identified the best-fitting model using a stepwise approach based on the Akaike information criterion. The best fitted model was used in the standardization. The standardized CPUE of each year shows a prominent decreasing trend (Fig. 4).

## Depletion period

We treated the squid fishery targeting the western winter-spring cohort (Fig. 1) as a depletion experiment.

Since the CPUE generally peaks in August, we defined the depletion period as between August and November each year. By doing so, we assume that the majority of squids migrate to the feeding ground in August, and from then the stock is considered as a closed stock. We used daily CPUE to track the depletion in this study, as opposed to the weekly or 10-day CPUE used in the previous studies.

## Natural mortality

Natural mortality rate $(M)$ of $O$. bartramii is largely unknown, despite its great impact on the stock assessment (Chen et al. 2008a). In order to address the uncertainty of $M$, a sensitivity analysis was conducted in this study. We applied a series of $M$ values ranging from 0.003 to 0.01 (per day) with a 0.001 increment and compared the outcomes of the assessments. Note that $M$ is assumed to be constant over time.

## Depletion model

The DeLury model formulation of Rosenberg et al. (1990) was used to estimate the initial population size, $N_{0, y}$, and the catchability coefficient, $q_{y}$, during each fishing season beginning on 1 August. The predicted CPUE on a given day $d$ (beginning on 1 August) for year $y$ was calculated as

$$
\begin{gather*}
C P U E_{y, d}=q_{y} \times N_{0, y} \times \exp [-(d+0.5) M]- \\
-q_{y} \sum_{k=0}^{d-1} C_{y, k} \times \exp [-(d-k) M] \tag{1}
\end{gather*}
$$

where $q_{y}$ is the catchability coefficient, $N_{0, y}$ is the initial abundance of year $y, C_{y, k}$ is the catch in numbers taken in day $k$, and $M$ is the daily rate of natural mortality, which is assumed to be constant over the fishing period.

The likelihood function of the observed CPUE given the prediction from a model is assumed to be lognormal (Rosenberg et al. 1990):

$$
\begin{gather*}
L\left(C P U E_{y} \mid q_{y}, N_{0, y}, \tau_{L}=\right. \\
=\prod_{d=1}^{n d k(y)} \frac{1}{C P U E_{y, d} \sqrt{2 \pi \tau_{L}^{-1}}} \times \\
\times \exp \left\{-0.5 \tau_{L}\left[\ln \left(C P U E_{y, d}\right)-\ln \left(\widehat{C P U E}_{y, d}\right)^{2}\right]\right\} \tag{2}
\end{gather*}
$$

where $C P U E_{y}$ represents a vector of daily CPUE data for year $y, n d k(y)$ is the number of fishing days in year $y, C P U E_{y, d}$ is the observed catch rate on day $d, \tau_{L}$ is the precision that is assumed to be constant across years ( $\tau_{L}=1 / \sigma^{2}$ and $\sigma$ was the standard deviation), and CPUE $_{y, d}$ is the predicted catch rate on day $d$ for year $y$.

Bayesian estimation requires specification of prior information for random variable parameters. We assumed that $N_{0, y}$ and $q_{y}$ were uncorrelated, and there was a population of $N_{0, y}$ and $q_{y}$ over years and that a value in any one year came from a particular parameter probability density function (pdf). Following Cao et al. (2015), we also assumed that the priors for $N_{0, y}$ and $q_{y}$ follow lognormal distributions with a mean of $\mu_{N_{0}}$ and $\mu_{q}$ and a precision of $\tau_{N_{0}}$ and $\tau_{q}$, respectively:

$$
\begin{gather*}
q_{V} \mid \mu_{q}, \tau_{q} \sim \log \operatorname{Norm}\left(\mu_{q}, \tau_{q}\right) \\
N_{0, y} \mid \mu_{N_{0}}, \tau_{N_{0}} \sim \operatorname{logNorm}\left(\mu_{N_{0}}, \tau_{N_{0}}\right) \tag{3}
\end{gather*}
$$

$\mu_{q}, \mu_{N_{0}}, \tau_{q}$, and $\tau_{N_{0}}$ were called hyper-parameters, which describe mean values and uncertainty for parameters for the entire population, respectively.

Following the approach of McAllister et al. (2004), all prior and hyper-prior probability density functions (pdfs) applied in the hierarchical model were assumed to be normally distributed with a very large prior coefficient of variation of 100 in order to ensure that posterior pdfs were driven by the data. Considering that sampling error variation may masks trends in abundance, the depletion model was implemented only on the set of days on which a decline in catch rates was observed in a given fishing season, which is from the peak value of CPUE to the end of fishery (McAllister et al. 2004).

## Calculation of the proportion not harvested

The escapement ratio is measured as a proportion of squid that would have been alive at the end of the fishing season. The proportional escapement was calculated following Brunetti et al. (2000). Stock size at time $i+1$ in year $y$ was modelled as

$$
\begin{equation*}
N_{(i+1) y}=\left(N_{i y} e^{-M / 2}-C_{i y}\right) \mathrm{e}^{-M / 2} \tag{4}
\end{equation*}
$$

where $N_{i y}$ was the number of squid at time $i, M$ was the instantaneous natural mortality, and $C_{i y}$ was the catch number if the catch occurred at the middle of each interval $i$ to $i+1$. In general, the escapement ratio $P_{i y}$ is calculated as

$$
\begin{equation*}
\left.P_{i y}=100 N_{(i+1) y} / N_{0 y} e^{-M_{i}}\right) \tag{5}
\end{equation*}
$$

where $N_{0 y}$ is the number of squid at the start of the fishing season, which was 1 August in this study.

## Sensitivity analyses of body weight

Given that body weight data were limited during the period 2005-2009, sensitivity analyses were conducted to evaluate the effect of between-year variation of body weight in the study period. We explored the sensitivity of the depletion model to the body weight values in 2005-2009 that were lower than 20\%, lower than $10 \%$, higher than $10 \%$, and higher than $20 \%$ of the corresponding values calculated on the basis of the derived daily growth function in this study.

## RESULTS

## Model output and sensitivity analysis of nature mortality $M$

Marginal posterior distributions of parameters $N_{0, y}$ and $q_{y}$ for the years 2005-2015 derived from the Bayesian hierarchical depletion models are shown in Figures 5 and 6. Regarding the model's sensitivity to different mortality rates, $M$, estimated values of $N_{0}$ for each fishing season showed a general increase with the increase of $M$, while estimated values of $q_{y}$ for each fishing season displayed a general decrease with the increase of $M$ (Figs 5, 6). The values of $M$ used in this study (i.e. from 0.003 to 0.01 , with an increment of $0.001)$ yielded $N_{0}$ estimates differing between 66.25 million (2015) and 662.21 million (2007) individuals. The central tendencies for $q_{y}$ also vary considerably, from $11.68 \times 10^{-6}(2006)$ to $117.13 \times 10^{-6}$ (2015). The posterior coefficients of variation (CV) in estimates of $N_{0, y}$ ranged from 0.010 to 0.21 and the posterior CVs in estimates of $\mathrm{q}_{\mathrm{y}}$ ranged from 0.048 to 0.24 . The ranges of posterior CVs for the marginal distribution for $N_{0, y}$ and $q_{y}$ indicate that the data for each year provide different information.

Murata and Shimazu (1982) estimated that $M$ for the winter-spring cohort may be around 0.007 per day. Based on this value, the posterior mean values of $N_{0, y}$ and $q_{y}$ ranged from 109.77 to 414.41 million individuals and $17.98 \times 10^{-6}$ to $69.71 \times 10^{-6}$, respectively (Figs $5,6)$. All the posterior distributions converged on the basis of the convergence diagnostic of Geweke (1992). Hierarchical modelling quantifies how a parameter varies across different members of a population. In this case, the population is the set of years in which DeLury assessments have been applied. In our study, the units are all sets of years (i.e. 2005-2015), the parameters


Fig. 5. - Summary of posterior distribution of parameters $N_{0, y}$ from 2005 to 2015 estimated from the DeLury depletion model with different levels of natural mortality $M$ (0.003-0.01 per day). (The legends in each chart are the same).


Fig. 6. - Summary of posterior distribution of parameters $q_{y}$ from 2005 to 2015 estimated from the DeLury depletion model with different levels of natural mortality, $M$ (0.003-0.01 per day). (The legends in each chart are the same).


Fig. 7. - Annual initial (1 August) and final (30 November) abundance (million individuals) of the western winter-spring stock of Ommastrephes bartramii from 2005 to 2015 estimated from the DeLury depletion model based on $M=0.007$ per day.


Fig. 8. - Relationships between initial abundance of the current year and final abundance of the previous year (million individuals) of the western winter-spring stock of Ommastrephes bartramii. [Blue dots represent the estimates from the DeLury depletion model based on $M=0.007$ per day and red dots are estimates from Chen et al. (2008a)].
were assumed to come from lognormal distributions, and the distribution of estimated parameters was used to describe the variation of parameters across units of the population. The posterior estimated mean values for $N_{0, y}$ and $q_{y}$ were 199.11 million individuals and $36.97 \times 10^{-6}$ under $M=0.007$, respectively.

## Interannual trends in initial and final population estimates

Initial abundance and abundance at the end of fishing season in each year were derived from depletion models. For consistency, initial abundance was the stock size on 1 August and the abundance at the end of fishing season was the stock size at the end of November. When the the day-to-day progression of estimated population size was calculated over the period 20052015, the initial abundance varied considerably across the years (Fig. 7). The years 2005, 2006 and 2007 had relatively high initial abundance, whereas the years 2008-2015 had relatively low initial abundance. Based on $M$ of 0.007 , the initial abundance $\left(N_{0}\right)$ varied between 109.77 and 414.41 million individuals, and the abundance at the end of fishing season was estimated to be between approximately 15.80 and 81.52 million individuals. The initial populations showed large interannual changes over the period 2005-2015. When $M$ of 0.007 was used in the estimation, the estimate of 2007 was approximately three times higher than the estimate of 2015 (Fig. 7).

Figure 8 shows the relationships between initial abundance in the current year and final stock size in the previous year based on $M=0.007$. The years 2001-2008 had high initial abundance and high population size at the end of previous fishing season, whereas these values have been at low levels since 2009.

## Estimation of proportional escapement

The proportional escapement $P_{i y}$ for each fishing season over the period 2005-2015 are shown in Figure 9 . As natural mortality rate $M$ increased, the $P_{i y}$ also increased. The wide range of $M$ (0.003 and 0.01 ) used in this study generated $P_{i y}$ estimates differing between $8.94 \%$ (2008) and $70.56 \%$ (2015), with an average of $38.58 \%$, which was close to the management target of $40 \%$. Based on $M$ of $0.007, P_{i y}$ ranged from $14.04 \%$ (in


Fig. 9. - Estimated proportional escapements of Ommastrephes bartramii with different levels of natural mortality $M$ (0.003-0.01 per day) from 2005 to 2015. (The "mean P\%" was the average proportional escapement in each year with the $M$ value of 0.003-0.01 per day).

Table 1. - Estimated mean values of initial abundance, catchability coefficient, and proportional escapement of different body weight using a Bayesian hierarchical model with $M=0.007$. "Basic" refers to body weight values in 2005-2009 calculated on the basis of the derived daily growth function. "Lower than 20\%", "Lower than 10\%", "Higher than $10 \%$ ", and "Higher than $20 \%$ " refer to body weight values in $2005-$ 2009 lower than $20 \%$, lower than $10 \%$, higher than $10 \%$, and higher than $20 \%$ of the corresponding values calculated on the basis of the derived daily growth function, respectively.

|  |  | 2005 | 2006 | 2007 | 2008 | 2009 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $N_{0, y} \times 10^{6}$ | Lower than 20\% | 415.80 | 475.45 | 521.19 | 344.83 | 142.28 |
|  | Lower than 10\% | 370.86 | 423.57 | 461.35 | 306.70 | 126.27 |
|  | Basic | 333.11 | 380.41 | 414.41 | 275.97 | 114.24 |
|  | Higher than 10\% | 303.41 | 345.50 | 376.06 | 250.87 | 103.89 |
|  | Higher than 20\% | 277.91 | 316.52 | 344.94 | 229.94 | 95.46 |
| $q_{y} \times 10^{6}$ | Lower than 20\% | 28.65 | 17.97 | 32.41 | 45.98 | 44.47 |
|  | Lower than 10\% | 28.46 | 17.93 | 32.61 | 45.90 | 44.60 |
|  | Basic | 28.58 | 17.98 | 32.70 | 45.93 | 44.19 |
|  | Higher than 10\% | 28.48 | 18.02 | 32.78 | 45.92 | 44.18 |
|  | Higher than 20\% | 28.52 | 18.01 | 32.76 | 45.95 | 44.00 |
| $P_{y}(\%)$ | Lower than 20\% | 36.93 | 43.24 | 46.53 | 14.01 | 38.99 |
|  | Lower than 10\% | 37.14 | 43.36 | 46.31 | 14.06 | 38.90 |
|  | Basic | 37.02 | 43.24 | 46.21 | 14.04 | 39.21 |
|  | Higher than 10\% | 37.14 | 43.19 | 46.11 | 14.04 | 39.23 |
|  | Higher than 20\% | 37.09 | 43.16 | 46.15 | 14.03 | 39.38 |

2008) to $48.75 \%$ (in 2014), with the mean of $39.53 \%$ during the period 2005-2015, which almost meets the target value of $40 \%$.

For different $M$ given in our analysis, the mean value of $P_{i y}$ throughout the study period changed from $13.74 \%$ in 2008 to $47.39 \%$ in 2014 (Fig. 9). This stock suffered from overexploitation for 2008 and 2010, and $P_{i y}$ of these two years was lower than $20 \%$ and $35 \%$, respectively, for all the $M$ values used in this study (Fig. 9). The mean values of $P_{i y}$ met the management target of $40 \%$ in the years 2011-2015.

## Sensitivity analysis of body weight

Sensitivity analyses of body weight in 2005-2009 were implemented in the Bayesian hierarchical depletion model for daily body weight values ranging from lower than $20 \%$ to higher than $20 \%$ of the values calculated on the basis of the derived daily growth function. The results suggested that only $N_{0, y}$ was sensitive to daily body weight, while $q_{y}$ was quite robust to changes in body weight within the ranges tested (Table 1). Specifically, using body weight values in 2005-2009 that were lower than $20 \%$, lower than $10 \%$, higher than $10 \%$ and higher than $20 \%$ of the values in 20102015 that derived from the daily growth function, the estimated values of $N_{0, y}$ for the years 2005-2009 were shown to have generally decreased with the increase in body weight (Table 1). With body weight values lower than $20 \%$, lower than $10 \%$, higher than $10 \%$ and higher than $20 \%$ of the derived value, the estimated $N_{0, y}$ were higher than $25 \%$, higher than $11 \%$, lower than $9 \%$ and lower than $17 \%$ of the corresponding values estimated with body weight equal to the mean values in 20102015, respectively. In addition, with daily $M$ values ranging from 0.003 to 0.01 , the above percentages were almost constant.

It should be noted that proportional escapement was also quite robust to changes in body weight values within the ranges tested. Using $M$ of 0.007 , the fluctuation of proportional escapement was lower than $1 \%$ under the extreme body weight values used in this study (Table 1). Similarly, with daily $M$ values ranging
from 0.003 to 0.01 , the above percentage were almost constant.

## DISCUSSION

Given the records of catch and effort from the Chinese Squid-Jigging Technology Working Group, this study conducted a Bayesian hierarchical DeLury depletion model in which data from the years 2005-2015 were combined hierarchically in the same stock assessment model to estimate the population abundance and annual catchability coefficients of the western winterspring cohort of neon flying squid. The results indicated that $O$. bartramii may have been overexploited since 2008, resulting in low levels of stock size and annual catch since 2009 . We further combine our results with previous estimates to provide a 15-year time series of stock size and fishing pressure. The Chinese squid-jigging fishery operated in similar waters on the traditional fishing ground and the fishing technique was almost the same during the period 2001-2015. However, annual catch from 2009 to 2015 was significantly lower than the catch from 2001 to 2008. The above catch trend was in accordance with the trend of initial abundance, i.e. initial abundances in the years 2001 to 2008 were obviously higher than those in the years 2009-2015 (Fig. 8).

Because of the annual lifecycle, managers have very little information on the potential size of the exploitable stock until shortly before recruitment, so the short lifespan of squids requires a different management approach to that taken for most finfish fisheries. Caddy (1993) proposed that the management of squids should be based on effort limitation, with the possibility of short-term adjustment of effort, and with the objective of allowing a maximum proportion $(40 \%)$ of the catchable biomass to be removed each year. The scheme outlined by Caddy (1993) still remains valid today and has the advantage that it enables a fishery to be managed in real time, which is especially important in volatile stocks of short-lived species such as squids. The proportional escapement was much lower than $40 \%$ in the year 2008 (with an average of $13.74 \%$ ),
resulting in $O$. bartramii being overfished in 2008 and the initial population abundance fluctuating at low levels since 2009. Sensitivity analyses were conducted in the Bayesian hierarchical depletion model for daily body weight values in our study, and the proportional escapement from 2005 to 2009 was demonstrated to be robust to changes in body weight. It should be noted that the proportional escapement met the management target of $40 \%$ from 2011, but the stock size and annual catch still fluctuated at relatively low levels, which may indicate that a larger escapement proportion may be needed to allow the recovery of $O$. bartramii from the relatively low stock size.

Interannual variation in initial population and catchability coefficients was significant across the years. The significant between-year variations in initial abundance resulted in $O$. bartramii failing to meet the management target in 2010. Annual catch and number of fishing vessels were extremely similar between the years 2010 and 2013. However, initial abundance in 2013 was 1.3 times greater than that in 2010 under $M=0.007$, which led to the exploitation level meeting the management target of $40 \%$ annual escapement in 2013 but being overexploited in 2010. As they are short-lived ecological opportunists, the abundance and distribution of $O$. bartramii were extremely vulnerable to the multi-scale environmental conditions, especially when anomalous environmental conditions occurred (Chen et al. 2007, Cao et al. 2009, Yu et al. 2016). For example, Yu et al. (2015) found that strong linkage existed between anomalous environmental events and variability in the $O$. bartramii habitats, and the El Niño-Southern Oscillation (ENSO) event tended to result in unfavourable habitats and reductions in squid recruitment, whereas the La Niña event yielded more favourable habitats and yielded high squid catches. In this study, the lowest initial abundance occurred in the years 2009 and 2015, which coincided with the occurrence of an El Niño event. Heavy fishing pressure together with unfavourable environmental conditions may have resulted in the sharply decreased initial abundance of $O$. bartramii in 2009. Thus, variations in the above two parameters may be related to environmental conditions. In addition, many other characteristics, such as biological factors and fishing processes, may affect catchability in the squid-jigging fishery (Chen et al. 2008a). Without more data, it is hard to identify the main factors leading to the annual variation in catchability.

The quality of results obtained from a stock assessment depends on the assumptions made. One primary assumption from this analysis was the closed population which ignored the immigration and emigration during the modelled time period. However, climate changes such as the ENSO could result in interannual variation in the timing of peak recruitment migration to the fishing grounds (Chen et al. 2007, 2012, Yu et al. 2015), and the lagged migration may mask the decline in abundance. Given that the depletion period is relatively short, i.e. only around four or five months, this study used a per day time interval, which can provide more accurate assessments. The DeLury estimators
are sensitive to the value of natural mortality, but $M$ cannot always be determined with certainty (Chen et al. 2008a). Values of $M$ for various ommastrephids were estimated to be 0.0033 to 0.01 per day period. For example, a value of $M=0.0033$ per day was estimated for Todarodes pacificus (Hokkaido National Fisheries Research Institute 2004). A value of $M=0.01$ per day period was used for Illex illecebrosus (Hendrickson et al. 1996), and Murata and Shimazu (1982) estimated that $M$ for the winter-spring cohort of neon flying squid may be around 0.007 per day. To improve our understanding of impacts of $M$ on the assessment, we conducted an extensive sensitivity analysis of the Bayesian hierarchical depletion model to per-day $M$ values ranging from 0.003 to 0.01 in this study, and depletion model estimators were demonstrated to be sensitive to the value of natural mortality, $M$. With increasing $M$, estimated initial abundance increased, while estimated catchability decreased.

Bayesian hierarchical modelling approaches are suitable for modelling the variability of parameters underlying different sets of historical data by sharing information among populations probabilistically, and are also useful for years when sampling error variation masks trends in abundance, and the catch rate data are not well behaved (McAllister et al. 2004). The reliability of stock assessment is obviously subject to data quality. The data used in this study were fishery-dependent data from the Chinese mainland squid-jigging fleet, which accounted for $>80 \%$ of the total catch from the study area. Considering that a small percentage of catch data were not available in this analysis, we standardized the CPUE before conducting stock assessment, which may be more reliable than using nominal CPUE.

A Bayesian hierarchical model can better quantify the variability in parameters and provide more reliable estimates by combining all sets of time-series data hierarchically in the same stock assessment model. Furthermore, the posterior distribution derived from a Bayesian hierarchical model using all the historical data combined can serve as a prior distribution for the current year's assessment (Adkison and Su 2001, McAllister et al. 2004, Gelman et al. 2014). The Bayesian hierarchical depletion model is helpful near the beginning of the fishing season when only a few days of catch rate data are available and estimates from the conventional estimation method for the DeLury model can be highly imprecise. However, the development of prior distributions for future stock assessment may be problematic if the range of hierarchical estimates from the historical years do not reflect the range in future years (McAllister et al. 2004). The estimators of the hierarchical model could be improved as more data become available in the future.

Considering the short lifespan and high annual variability in initial abundance, fishery management based on effort limitation is much flexible for conserving short-lived stocks such as $O$. bartramii at a sustainable level (Arkhipkin et al. 2015). This study showed that O. bartramii may suffer from overexploitation, and the sharply decreased initial abundance of $O$. bartramii from 2009 to 2015 might be related to the heavy fish-
ing pressure together with the unfavourable environmental conditions. Although current fishing mortality of the squid-jigging fishery is generally considered to be sustainable, the catches and stock abundance still fluctuate at low levels in recent years, leading to a possible shift in hypothesis. The environmental conditions change and may not be as favourable as they were prior to 2008, so decreasing fishing effort may not lead to increasing abundance under current environmental conditions. This should be an interesting hypothesis for future studies. Significant between-year variations in initial abundance resulted in $O$. bartramii suffering from a certain degree of overexploitation in 2010. For short-lived species such as $O$. bartramii, recruitment success dominates annual variations in stock abundance and is extremely sensitive to multiscale environmental events such as the ENSO and La Niña (Sakurai et al. 2000, Yu et al. 2015), which may result in large annual variability in abundance. Improved knowledge of the influences of environmental conditions on stock dynamics would open the way to pre-recruitment prediction, at least in broad terms, of likely stock size in the coming season, thus improving the sustainable management of squid fishery resources.

## ACKNOWLEDGEMENTS

We thank the squid-jigging technology group of Shanghai Ocean University for providing the fishery data, and the Ocean-Watch Data Library for providing the environmental data. This work was funded by the National Science Foundation of China (NSFC41876141 and NSFC41276156), the Funding Programme for Outstanding Dissertations in Shanghai Ocean University, the Funding Scheme for Training Young Teachers in Shanghai Colleges and the Shanghai Leading Academic Discipline Project (Fisheries Discipline).

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